

## Quantifying fitness in North Atlantic right whales

Frasier, T.R.<sup>1</sup>, Radvan, S.<sup>1</sup>, Hamilton, P.<sup>2</sup>, Kraus, S.<sup>2</sup>

<sup>1</sup>Saint Mary's University, 923 Robie St., Halifax, Nova Scotia B3H 3C3 Canada ([timothy.frasier@smu.ca](mailto:timothy.frasier@smu.ca))

<sup>2</sup>Anderson Cabot Center for Ocean Life, New England Aquarium, Central Wharf, Boston, MA USA 02110

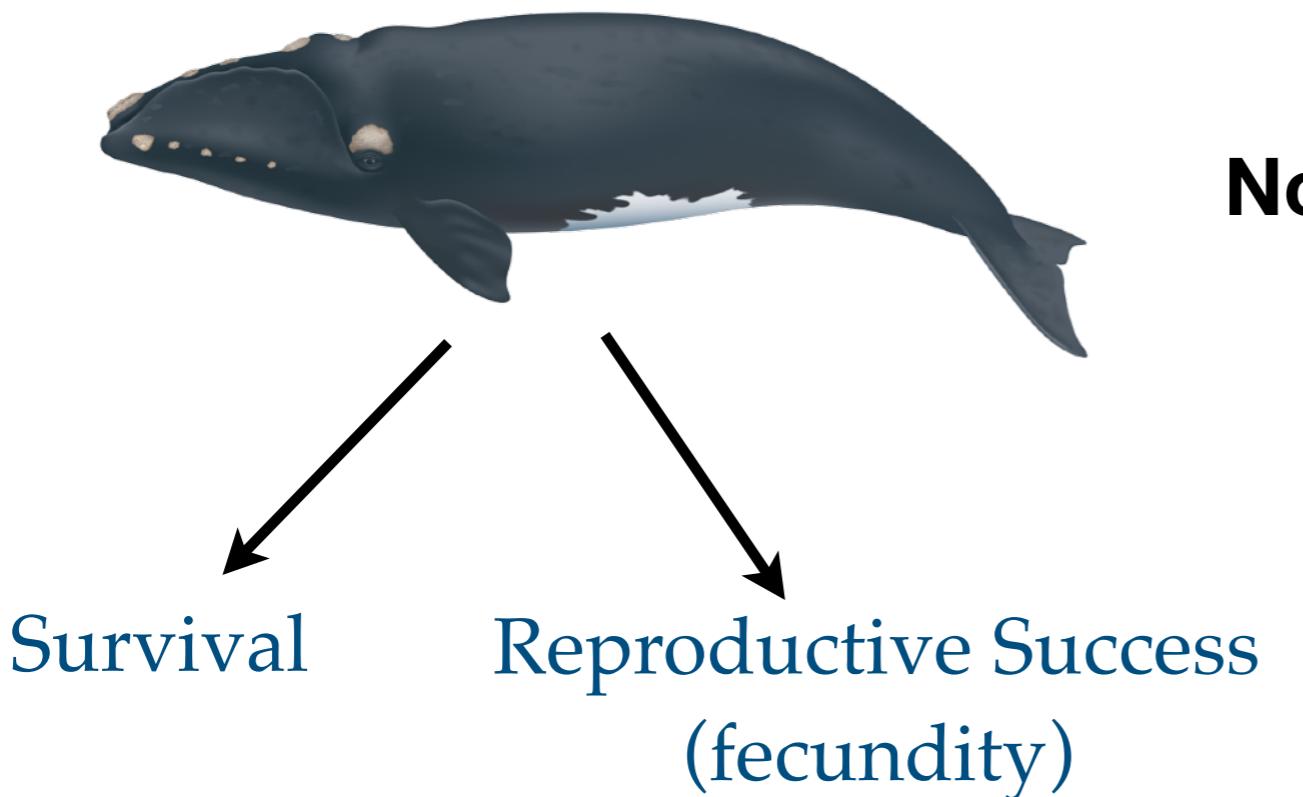
Appropriately quantifying fitness is a crucial requirement for accurately identifying what factors are influencing the health of a population and the degree to which they are doing so. Such information is particularly important for endangered species, where proper conservation initiatives cannot be implemented, or their effects monitored, until the limiting factors have been identified and their effects quantified. Fitness can be broken down into two components: survival and reproductive success. In many short-lived species survival is often quantified as the number of years an individual was alive and reproductive fitness quantified as lifetime breeding success (LBS). However, such metrics are not possible for long-lived species, where many individuals survive and reproduce for longer than the study period. Moreover, individual effects can be masked by larger ecological changes that affect the population as a whole. A method for quantifying individual fitness that overcomes these obstacles is called the “de-living” approach, which quantifies the relative contribution of each individual to overall population growth (via surviving and/or reproducing) in each year. This value can then be summed across the desired number of years for each individual. We have implemented this calculation for North Atlantic right whales and show that it appropriately captures patterns in survival and reproductive success. We propose that this approach could be a very useful tool for testing hypotheses regarding factors impacting individual survival and reproductive success in this species, and for monitoring any changes therein over time.

# Quantifying individual fitness in North Atlantic right whales

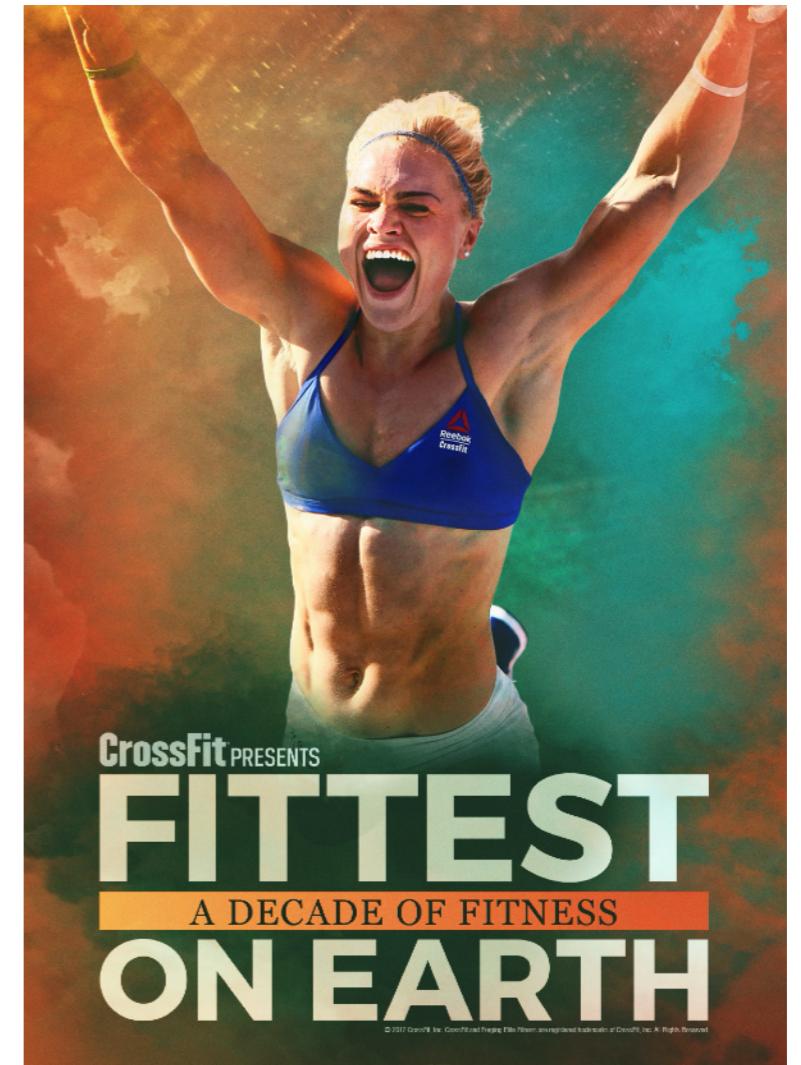
Tim Frasier<sup>1</sup>, Sonya Radvan<sup>1</sup>, Philip Hamilton<sup>2</sup>, Scott Kraus<sup>2</sup>



# Evolutionary Fitness, Not Physical Fitness



Not



# Why Quantify Individual Fitness?

## 1. Large-scale questions

- What factors are driving individual variation in survival and reproductive success, and to what degree?
  - It is the sum of these individual effects that drive population trends

## 2. Shorter-term questions

- What factors are changing individual survival and reproductive success over time, and to what degree?
  - Fitness pre- *vs* post-entanglement/ship strike

# Problems Quantifying Individual Fitness?

1. When study organisms live longer than you do

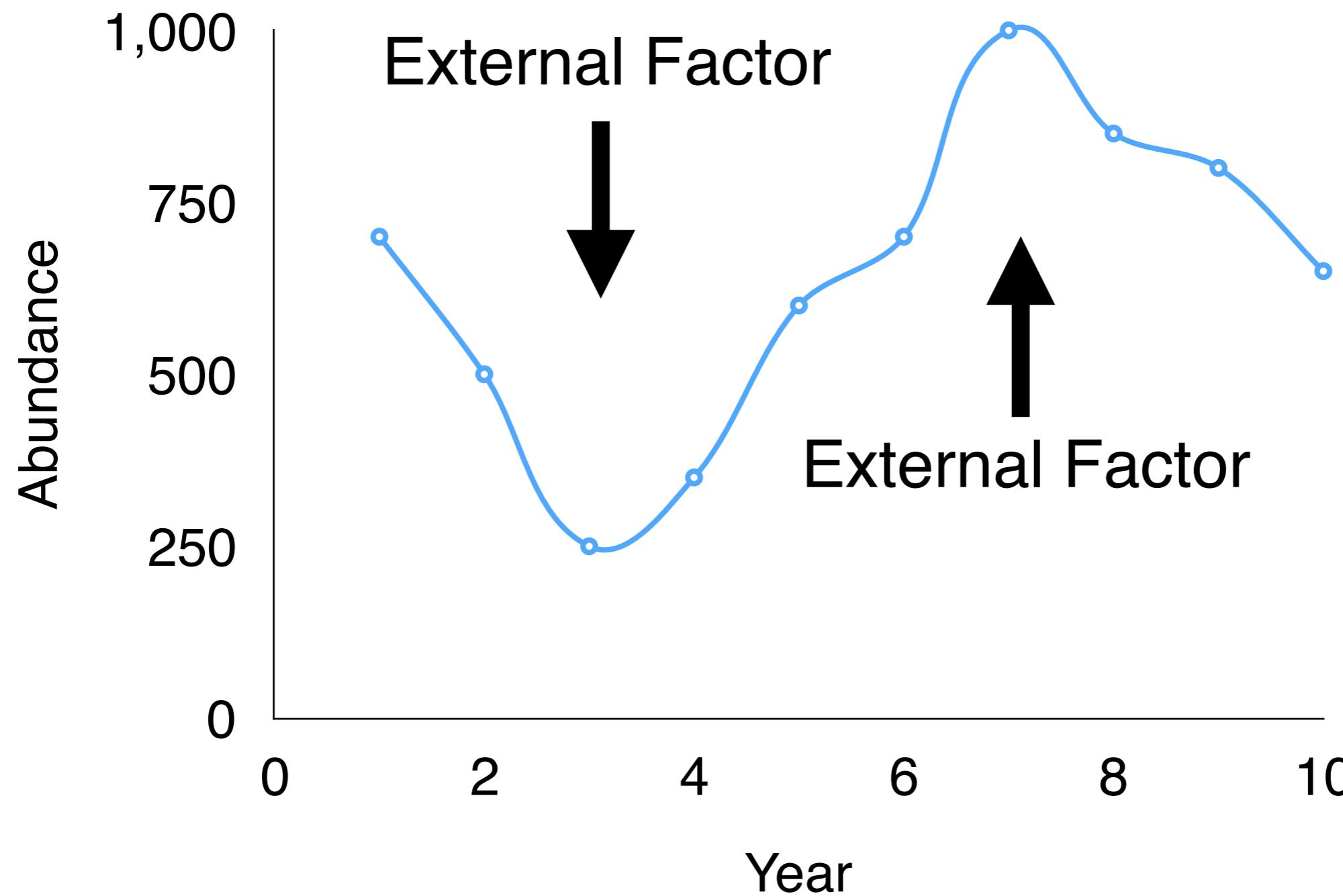
- Otherwise use Lifetime Breeding Success (LBS), and survival



# Problems Quantifying Individual Fitness?

1. When study organisms live longer than you do
  - Otherwise use Lifetime Breeding Success (LBS), and survival
2. Individual effects may be masked by external factors driving population-wide trends

# Problems Quantifying Individual Fitness?



# “De-living” Method

PROCEEDINGS  
— OF —  
THE ROYAL  
SOCIETY 

*Proc. R. Soc. B* (2006) **273**, 547–555

doi:10.1098/rspb.2005.3357

Published online 6 December 2005

## **Estimating individual contributions to population growth: evolutionary fitness in ecological time**

T. Coulson<sup>1,\*</sup>, T. G. Benton<sup>2</sup>, P. Lundberg<sup>3</sup>, S. R. X. Dall<sup>4</sup>,  
B. E. Kendall<sup>5</sup> and J.-M. Gaillard<sup>6</sup>

# “De-living” Method

Quantify each individual's relative contribution to population growth for each year

1. Survival
2. Fecundity

Sum over the years of interest

# “De-living” Method

ID	Alive	Offspring	Survival component	Fecundity component	Contribution to population growth
	$s_{t(i)}$	$f_{t(i)}$	$\frac{s_{t(i)} - \bar{s}_t}{N_t - 1}$	$\frac{f_{t(i)} - \bar{f}_t}{N_t - 1}$	$p_{t(i)}$
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Totals	3	6	0	0	0
Means	$0.75(\bar{s}_t)$	$1.5(\bar{f}_t)$	0	0	0

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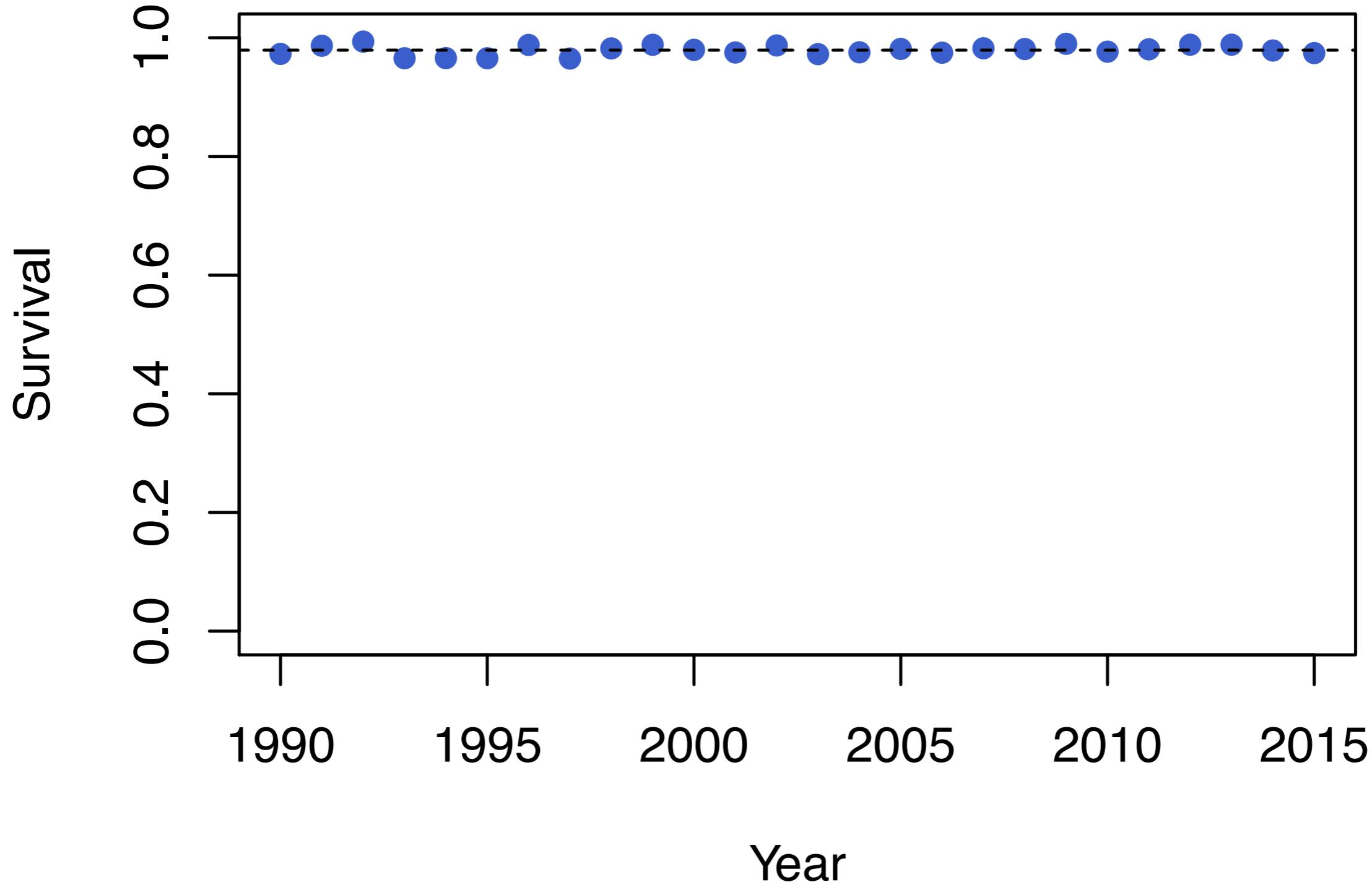
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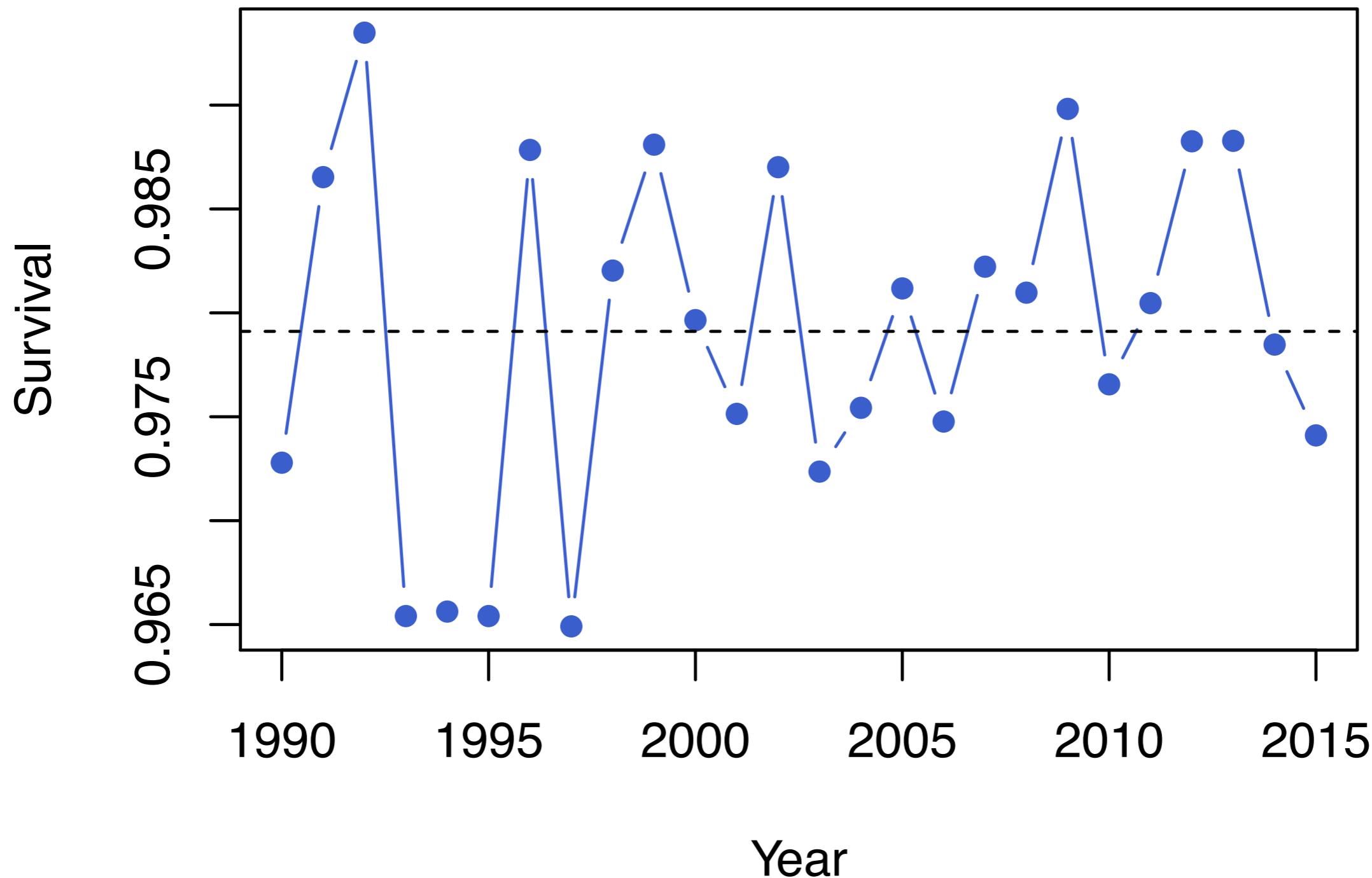
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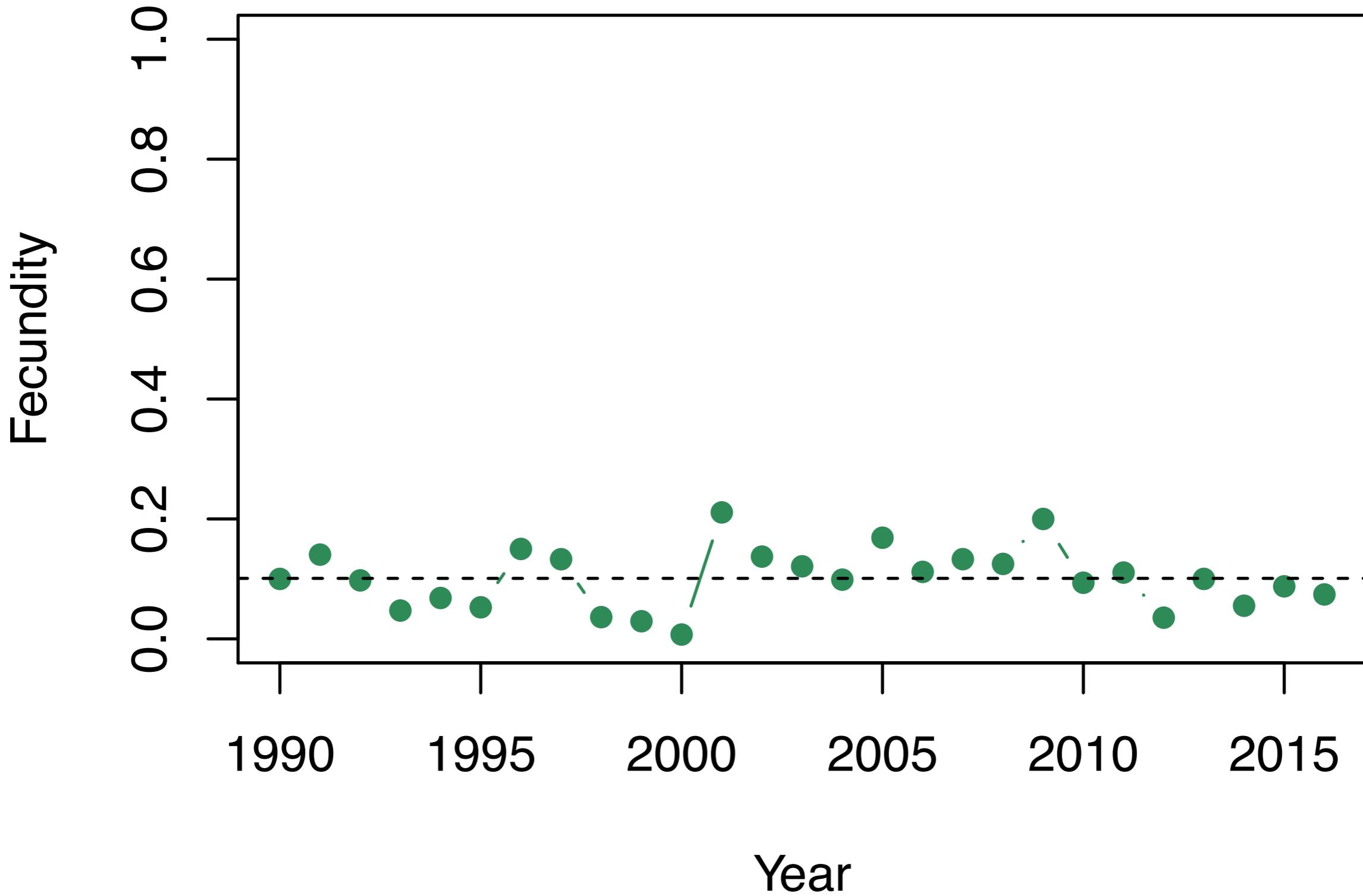
# Mean Survival



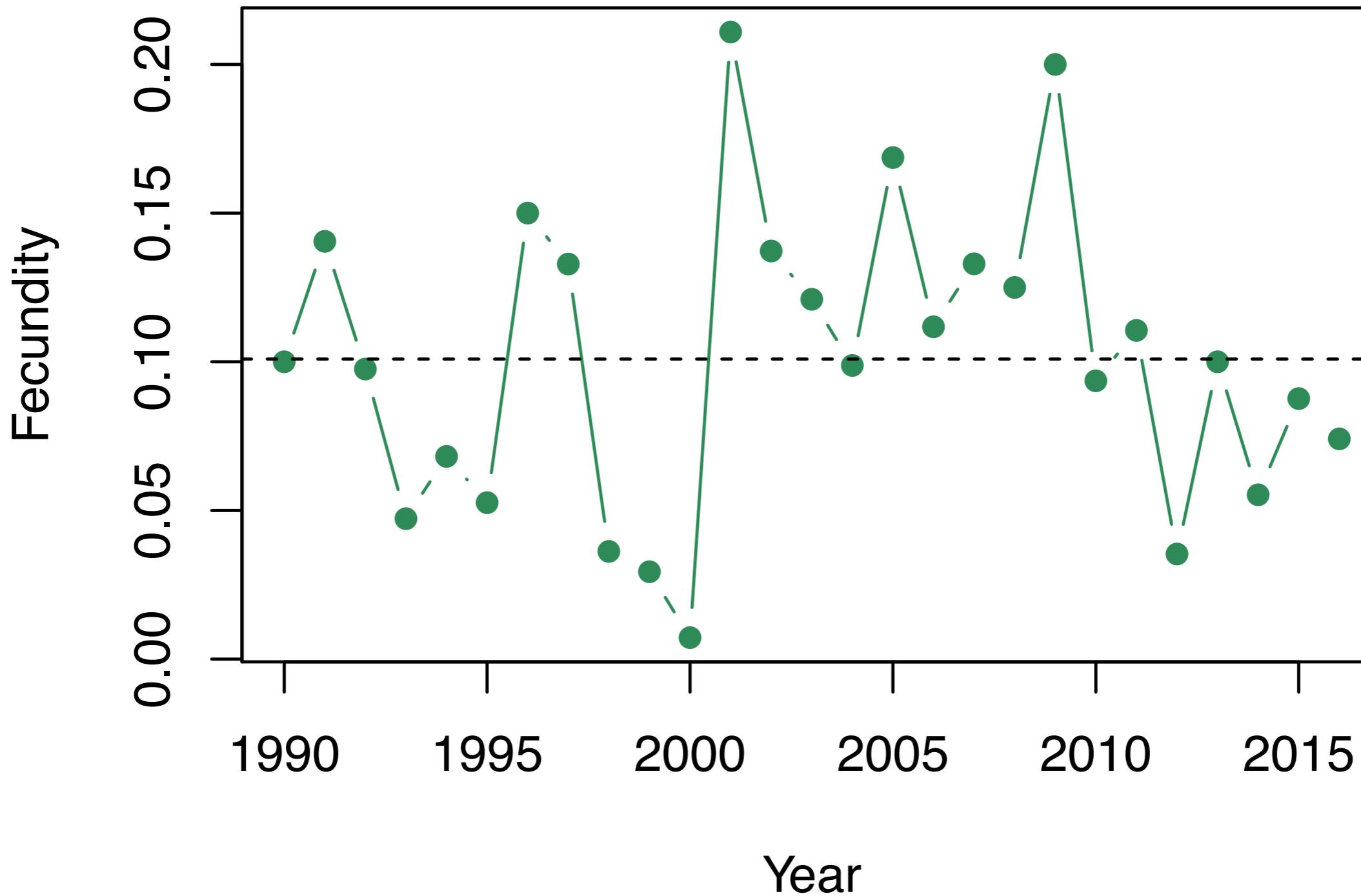
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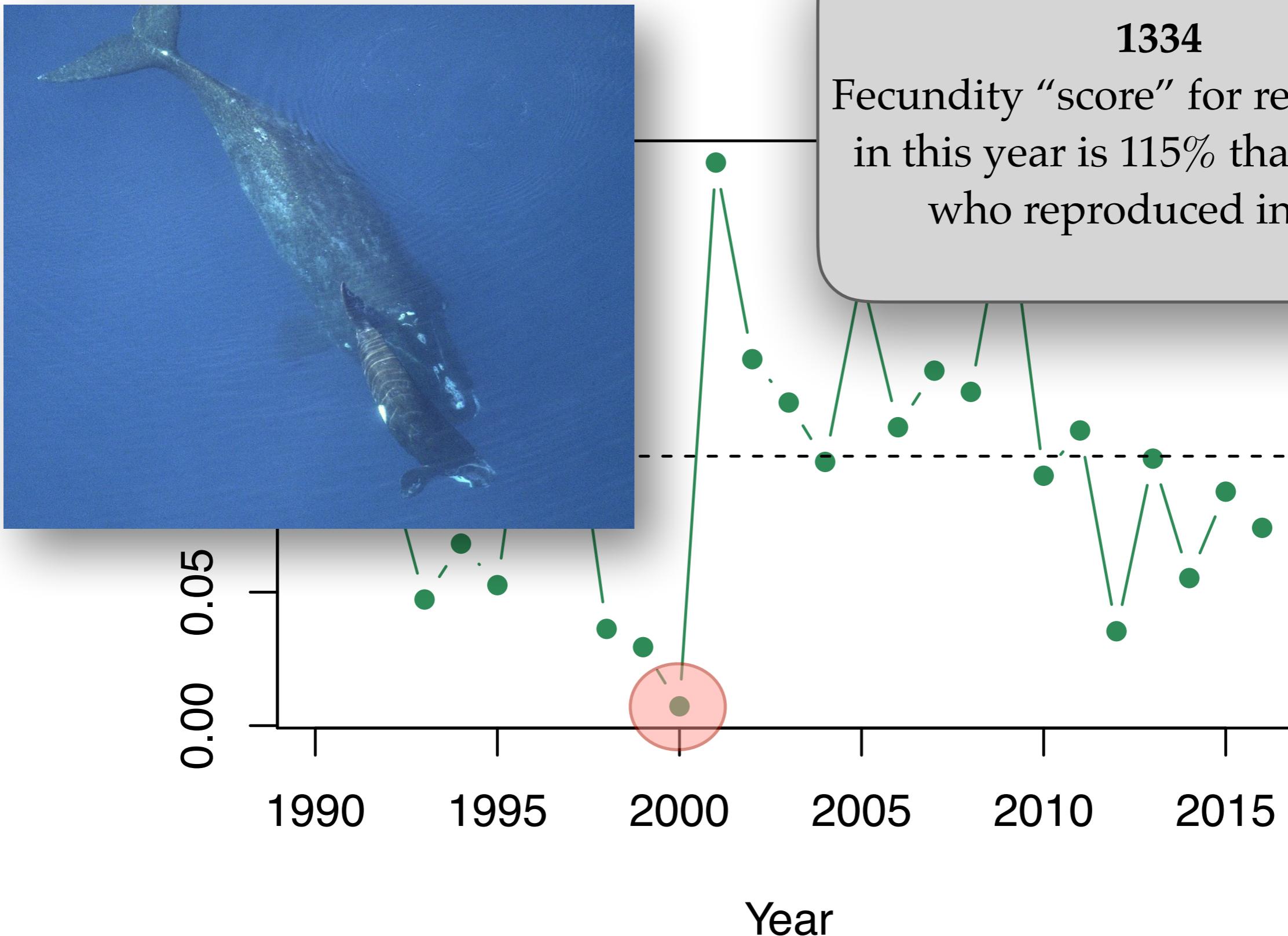
# Mean Fecundity



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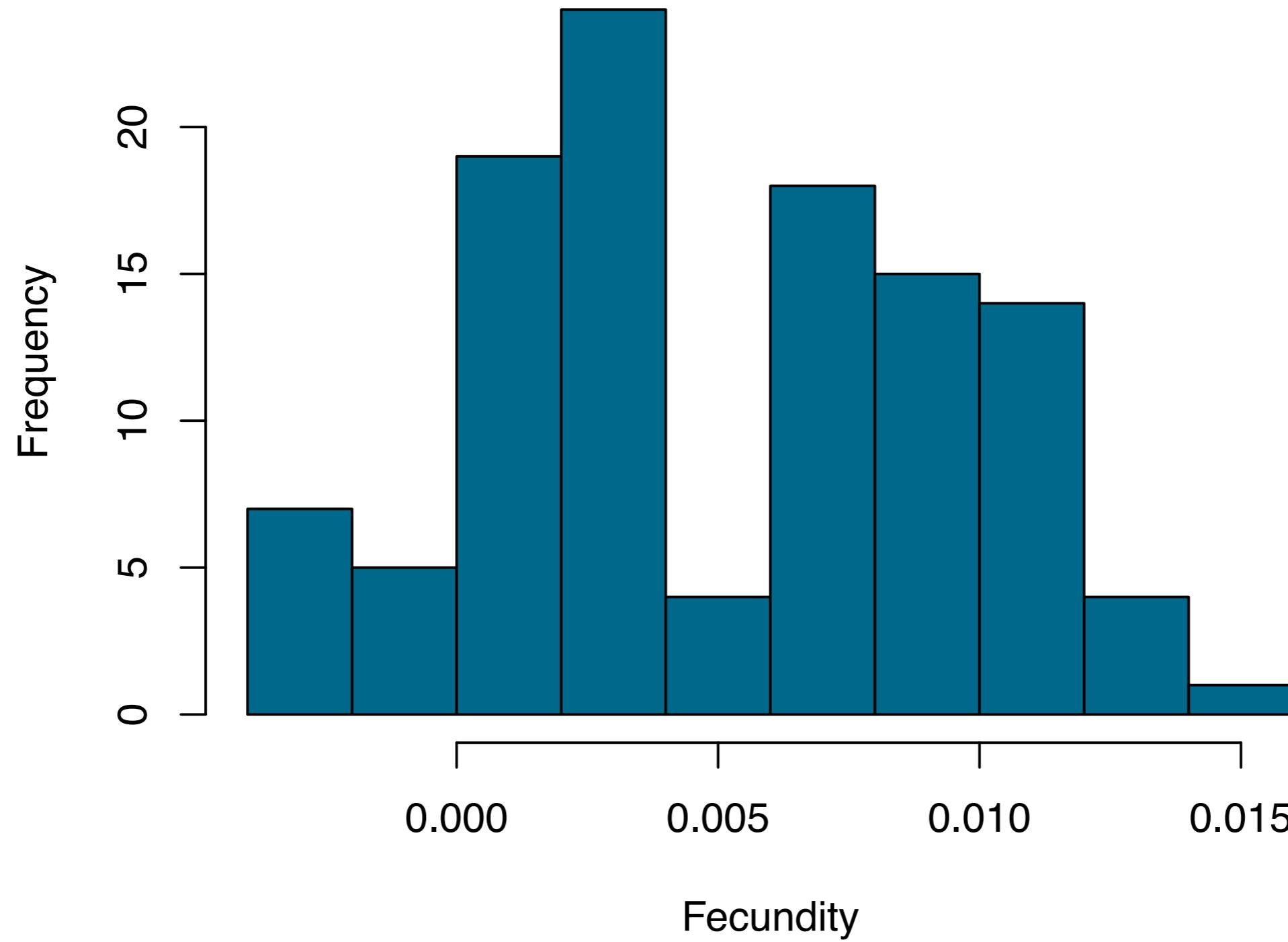


1334

Fecundity “score” for reproducing  
in this year is 115% that of those  
who reproduced in 2001

# Individual Fecundities

Females adult > 10 years



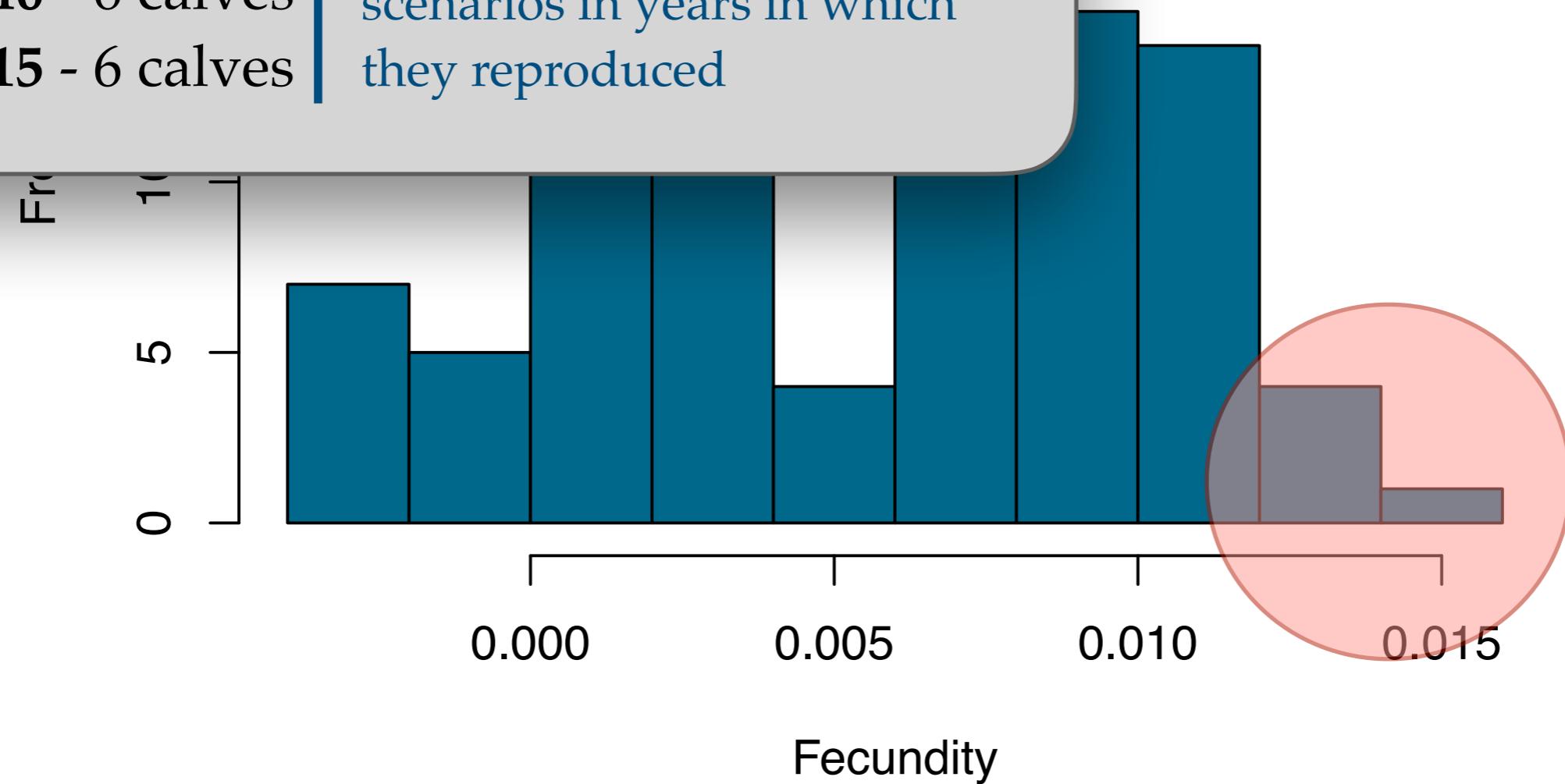
# Individual Fecundities

Females adult > 10 years

Top 5

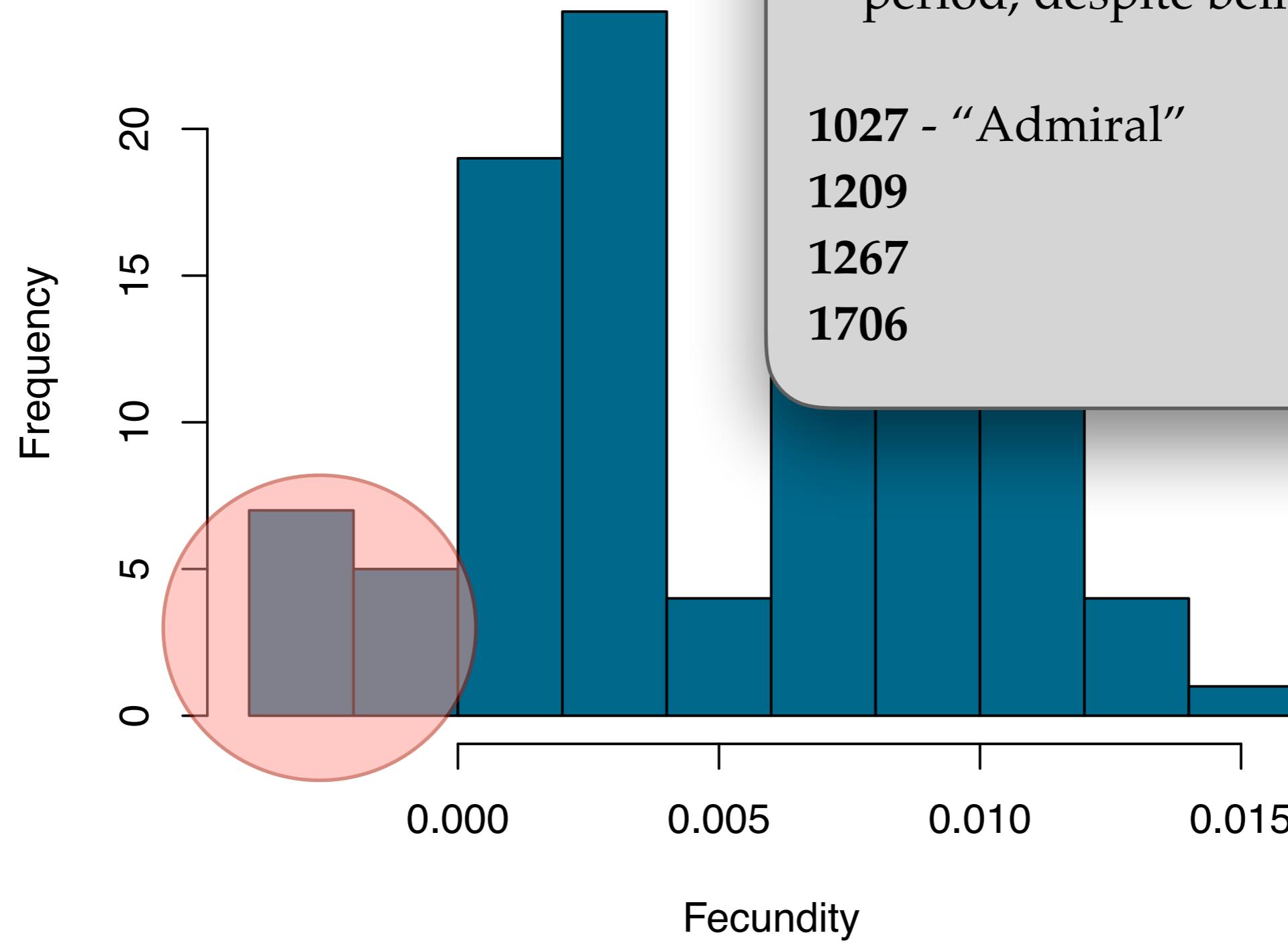
1. **1204** - 7 calves
2. **1334** - 6 calves
3. **1240** - 6 calves
4. **1315** - 6 calves

Not a tie due to different scenarios in years in which they reproduced



# Individual Fecundities

Females adult > 10 years



## Bottom 5

(tie for several, none of who reproduced during this time period, despite being adults)

1027 - “Admiral”  
1209  
1267  
1706

# Importance

**Context is important!**

Calving events should not all be weighted equally

Surviving across different spans of time should not be weighted equally

**Important information is contained within these data, above and beyond crude counts**

# Utility

**Provides more accurate & precise estimates of individual fitness**

R code available

- You can probably come up with more efficient code than we did



# Thank You!



Anderson Cabot  
Center for Ocean Life  
at the New England Aquarium